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ECMWF SEMINAR 2009 Diagnosis of Forecasting and Data Assimilation Systems

7–10 September

Powerful and precise diagnostic techniques are required to maintain the present pace of forecast system development. This is partly due to the abundance of new observations of the earth system and the growing complexity (and indeed accuracy) of forecasting systems.

This seminar will give a pedagogical and wide-ranging overview of diagnostic techniques that lead to a better understanding of the global circulation or aid forecast system development.

Lecturers

Alejandro Bodas-Salcedo (UK Met Office) John Methven (University of Reading) Prashant Sardesmukh (CDC NOAA) Gérald Desroziers (Météo-France) Sean Milton (UK Met Office) Carla Cardinali (ECMWF) For details of the programme see: www.ecmwf.int/newsevents/seminars Further information can be obtained from: Els Kooij-Connally ECMWF, Shinfield Park, Reading, RG2 9AX, UK E-mail els.kooij@ecmwf.int

Mark Rodwell (ECMWF) Tim Palmer (ECMWF) Duane Waliser (JPL) Nils Wedi (ECMWF) Dick Dee (ECMWF) Peter Bauer (ECMWF) Jan Barkmeijer (KNMI) David Rind (NASA GISS) Martin Leutbecher (ECMWF)

Stephen Leroy (Harvard University) Robert Marsh (NOC, Southampton) Robert Pincus (University of Colorado) Federico Grazzini (ARPA-SIMC, Bologna) Diagnostics and Model Error An Introduction

> **Tim Palmer ECMWF**



Dr Foster's Book of Symptoms and Cures





If thy model's climatology hath:

Tever and high temperature in upper parts

Severe chills in lower parts

Bouts of excessive windiness in middle parts

Too much wetness over the warm pool with very dry patches elsewhere

Then:

Increase diffusion coefficient by ten percent

and

Decrease convective entrainment parameter by five percent DJF surface pressure climatology of 5°x7.5° grid point model









obs

If thy model's climatology hath:

Weak winds in Southern parts Realistic winds in Northern parts

Then:

Reduce surface drag coefficient over the ocean

2.5°x3.75° grid point model



model



obs

$\label{eq:BAROCLINIC LIFECYCLE} BAROCLINIC LIFECYCLE \qquad (\begin{tabular}{c} \begin{tabular}{c} \end{tabular} \end{tabular}$ Potential vorticity and relative flow at θ = 350K



NH

2.5°x3.75° grid point model



obs

model

If thy model's climatology hath: Weak winds in Southern part Realistic winds in Northern parts Then: Keduce surface drag coefficient over the ocean

Model Diagnosis

What "looks good" (eg NH flow in 5°x7.5° model) might actually "be bad"!

(Here because of compensating errors between two **completely** different physical processes: poorly resolved baroclinic waves, and missing orographic drag.)

What is the fundamental origin of this "looks goodis bad" difficulty?





$$\dot{X} = -\sigma X + \sigma Y$$
$$\dot{Y} = -XZ + rX - Y$$
$$\dot{Z} = XY - bZ$$



$$\dot{X} = -\sigma X + \sigma Y + f \cos \theta$$
$$\dot{Y} = -XZ + rX - Y + f \sin \theta$$
$$\dot{Z} = XY - bZ$$

0.75



Looks Good.....Is Bad!





1. Climatological response to external forcing seems to be linked to system's dominant internal modes of variability. (Cf high res, low res model biases – the Northern and Southern Annular Modes - NAM, SAM are the dominant modes of surface variability.)

2. Quite different forcings can produce similar responses (cf underrepresentation of baroclinic eddies compensated by underrepresentation of orographic drag.

Why?

1905 - Annus Mirabilis



- Special Theory of Relativity
- •Quantum explanation of the photoelectric effect
- Brownian Motion

..the same random forces which cause the erratic motion of a particle in Brownian motion would also cause drag if the particle were pulled through the fluid.

Fluctuation Dissipation Theorem

A very general result of statistical thermodynamics which quantifies the relation between the fluctuations of a system in thermal equilibrium and the response of the system to applied perturbations

First applied to the climate system by Chuck Leith



$$\dot{X} = F[X]$$
$$\dot{X}' = F[X'] + \delta f$$
$$\delta X = X' - X \implies \delta \overline{X} = L \delta f$$
By the Fluctuation-Dissipation theorem (Leith, 1975)
$$L \approx \int C(\tau)C^{-1}(0)d\tau$$
C is lag- τ covariance matrix of X

Because of the advective nonlinearity in the equations of motion, the eigenmodes of a system linearised about a stationary basic state, are, in general, not orthogonal

 μ_4

Substantial amplitude along ξ_1 for a perturbation v which initially is almost orthogonal to ξ_1 (this adjustment can occur on timescales of days)

 v_0



 η_1

Model diagnosis is difficult because the longterm response of the system to some forcing is linked to the system's dominant internal modes of variability. Different forcings can have similar responses.

Both issues are a consequence of the nonlinearity of the equations of motion of climate.

What to do?

Don't focus diagnostics exclusively on the longterm response. Look at the short-term transient response too....eg within the data assimilation system itself



Data Assimilation Cycle: Perfect Model



Observations are not assumed to be perfect, but they should be sufficiently unbiased

Data Assimilation Cycle: Imperfect Model



= Convective + Radiative + ... + Dynamical Tendency

Can assess individual processes when acting on states close to the truth (Klinker and Sardeshmukh 1992)

Old and New Aerosol Optical Depth

OLD (NO ANNUAL CYCLE)





NEW (JULY)



- LARGE SAHARAN SOIL-DUST CHANGE
 - SCATTERS & ABSORBS
 - SINGLE SCATTERING ALBEDO ≈ 0.9

CHANGE COMPARIABLE TO

- UNCERTAINTY IN PRESENT LOADING
- CHANGES IN LOADING DUE TO CLIMATE CHANGE

Old: C26R1 (Tanre et al. 1984), New: C26R3 (Tegen et al. 1997).



Initial Tendencies

<u>Old Aerosol</u> Initial net warming of lower troposphere (a) → Positive feedback by D+5 (b) with increased convection and large-scale dynamical moisture convergence

<u>New Aerosol</u> Initial radiative forcing change (e) → More initial convection but reduced initial net warming (c) and thus smaller feedback with dynamics (d)



North Africa = $[5^{\circ}N-15^{\circ}N, 20^{\circ}W-40^{\circ}E]$. Mean of 31 days X 4 forecasts per day X 12 timesteps per forecast. 70% confidence intervals are based on daily means. CONTROL model = 29R1,T159,L60,1800S.

Can a 6hr weather forecast tell us about global warming 100 years from now? (Rodwell and Palmer, 1986)

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Soaring global warming 'can't be ruled out'

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19:03 26 January 2005 NewScientist.com news service Jenny Hogan

The Earth may be much more sensitive to global warming than previously thought, according to the first results from a massive distributed-computing project.

The project tested thousands of climate models and found that some produced a world that warmed by a huge 11.5°C when atmospheric carbon dioxide concentrations reached the levels expected to be seen later this century.

This extreme result is surprising because it lies far outside the 1.4°C to 4.5°C range predicted by the Intergovernmental Panel on Climate Change (IPCC) for the same CO₂-level increase - a doubling of CO₂ concentration from pre-industrial times. But it is possible the IPCC range was wrong because its estimate is based on just a handful of different computer models.



Enlarge image

The climate modelling software divides the Earth's surface into boxes hundreds of kilometres square (image: Climateprediction.net)

"There are no obvious problems with the high temperature models, Stainforth says.... The uncertainty at the upper end has exploded, says teammember Myles Allen."

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One key parameter in a convection parametrisation is the entrainment-rate parameter

Entrainment

turbulent weak

turbulent strong

organized



•mixes environmental air into convective clouds

•is caused by turbulence and/or organized inflow

•thereby reduces the difference of cloud to environment, which is the fuel the cloud thrives on

•strength of its effect depends on entrainment rate (model parameter) and difference in properties of cloud and environment

 high entrainment rate and/or very dry environment -> shallow clouds

•low entrainment rate and/or very moist environment -> deep clouds

Climate: Error vs Sensitivity



Circles: AGCM + Mixed-Layer model results from Stainforth et al. (2005) show combined RMSE of 8 year mean, annual mean T_{2m} , SLP, precipitation and ocean-atmosphere sensible+latent heat fluxes (equally weighted and normalised by the control).

Diamonds: AGCM results from Rodwell & Palmer (2006) show RMSE from 39 year mean, annual mean T_{850} , SLP and precipitation (equally weighted and normalised by the control).

Slide 35

ECMWF

January 2005 Initial T Tendencies



So that's it. Just perform the weather/climate model diagnostics on the first 6 hours of a forecast and all problems can be easily diagnosed and cured.

Umm...actually not that simple!



Eg 2) Lorenz(1963) in an EOF basis

$$\dot{a}_{1} = 2.3a_{1} - 6.2a_{3} - 0.49a_{1}a_{2} - 0.57a_{2}a_{3}$$
$$\dot{a}_{2} = -62 - 2.7a_{2} + 0.49a_{1}^{2} - 0.49a_{3}^{2} + 0.14a_{1}a_{3}$$
$$\dot{a}_{3} = -0.63a_{1} - 13a_{3} + 0.43a_{1}a_{2} + 0.49a_{2}a_{3}$$

Selten (1995)



3rd EOF only explains 4% of variance. Parametrise it?

Lorenz(1963) in a truncated EOF basis with parametrisation of a_3

$$\dot{a}_{1} = 2.3a_{1} - 6.2a_{3} - 0.49a_{1}a_{2} - 0.57a_{2}a_{3}$$
$$\dot{a}_{2} = -62 - 2.7a_{2} + 0.49a_{1}^{2} - 0.49a_{3}^{2} + 0.14a_{1}a_{3}$$
$$a_{3} = P(a_{1}, a_{2}; \alpha, \beta...)$$



Parametrised model is good as a shortrange forecast model of L63, but exhibits major climatic errors.

Make parametrisation more complicated – eg quadratic, cubic...transcendental function of PCs?

Won't help. By Poincaré-Bendixon theorem, the parametrised model cannot exhibit chaotic variability for any deterministic ("bulk formula") parametrisation What about making the parametrisation stochastic?

Stochastic-Lorenz(1963) in a truncated EOF basis

$$\dot{a}_{1} = 2.3a_{1} - 6.2a_{3} - 0.49a_{1}a_{2} - 0.57a_{2}a_{3}$$
$$\dot{a}_{2} = -62 - 2.7a_{2} + 0.49a_{1}^{2} - 0.49a_{3}^{2} + 0.14a_{1}a_{3}$$
$$a_{3} = \beta$$





Is there a component of model error in contemporary NWP/climate models, associated with the fact that their parametrisations are deterministic rather than stochastic?

Calculate exact PDF of sub-grid temperature tendencies in a coarsegrained (~**50km**) grid box based on output from a cloud-resolving (~**1km**) model treated as "truth".

■ PDFs are constrained such that parametrised tendencies based on coarse-grain input fields lie within boxes of width **6K/day**.

Shutts and Palmer, J.Clim, 1987





Width of pdf ∞ parametrised tendency

Stochastic Parametrisations in use at ECMWF

- Stochastic Tendency Perturbations (Buizza et al, QJ, 1999) $\dot{X} = D(X) + \sigma P(X)$
- Spectral Stochastic Backscatter (cf Leith, 1990;Berner et al JAS, March 2009)

Schematic illustration of potential impact of stochastic parametrisation on systematic error

Eg ball bearing in potential well.

Stochastic Physics versus Resolution

- Experiments with model cycle 31R1
- Experiments with Berner et al (JAS 2009) stochastic backscatter scheme
- Winters (Dec-Mar) of the period 1990-2005



Conclusions

- Advective nonlinearity of climate makes the problem of diagnosing model error a challenging one. Response to imposed forcing is tied to internal modes. Different forcings can exhibit similar responses.
- One way forward is to focus on short-range tendencies this technique could potentially powerful in helping to reduce the long standing problem of reducing uncertainty in climate sensitivity
- However, there is a second class of model error arising from the use of deterministic parametrisations.
- Stochastic parametrisation is a tool to both represent and reduce model error.

