

Accounting for the effect of observation errors on verification

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Assumptions

Root-mean-square error
Rank Histograms
Categorical verification (ROC)

Verification against analysis

Assumptions



- We know the distribution of observation errors
- The errors in the observations are independent of the observed value, the forecast value and the errors in other observations (additive, uncorrelated noise)
- In this case, verification is against radio-sonde observations of wind speed at 850 hPa
- Observation errors are assumed gaussian with zero mean and standard deviation 1.6 m/s

How to estimate the observation errors?



•With difficulty!

- Differences between observations at different locations (extrapolate distance between obs to zero) – NB Ingleby, J. Atmos. Ocean. Technology, 18, 1102,-1107 (2001)
- It may be possible to diagnose them from a series of assimilation cycles – G Desroziers et al, QJ, 131, 3385-3396 (2005)





- Verification performed for 1 November 2006 to 26 January 2007 on MOGREPS global ensemble
- An in-sample bias correction has been applied to the forecast data
- Any event threshold are basic (e.g. wind speed > 10m/s) so Hamill et al's (QJ, in press) "false skill" issue is not addressed





•The effect of observation errors is $RMS(f,o) = \sqrt{RMS(f,t)^2 + RMS(o,t)^2}$ What we measure What we want to measure The observation error

So, we estimate the "true" RMS error by

$$RMS_{est}(f,t) = \sqrt{RMS(f,o)^2 - RMS(o,t)^2}$$

RMS error - results





Rank histograms



- To calculate the rank histogram, rank the ensemble forecasts, and find between which members the verification falls
- If the ensemble is sampling from the distribution of forecast errors, then the rank histogram should be flat
- Remove the effect of observation errors by perturbing each ensemble member's forecast by the observational error

Saetra et al, Mon. Weather Rev. **132**, 1487-1501 (2004)

Rank histograms – 850 hPa wind speed







If the distribution of observed values (given the model forecast some event to occur) is

 $P_o(x | F = 1)$

then, under our assumptions about observation errors, this is related to the distribution of true values by

$$P_o(x | F = 1) = \int_{-\infty}^{\infty} P_t(y | F = 1) P_e(x - y) dy$$

$$\xrightarrow{-\infty} \qquad \uparrow$$
True values Observation errors

Bowler, Mon. Weather Rev., 134, 1600-1606 (2006)

Observation distribution





ROC for wind speed 850hPa > 10m/s T+72





Verification against analysis - RMSE





 Verification against analysis gives a lower RMSE than verification against observations, corrected for their error, either:

 Our estimate of the observation error is too low

 The analysis has errors, which are correlated with forecast errors

Correlation of analysis and forecast error



- Looked at by Simmons and Hollingsworth (QJ, 2002) for 500 hPa height
- They found correlations of analysis error of around 0.5 (or less) at 1 day
- For wind speed at 850 hPa, when fitting data using an AR-1 correlation model
- Observation error = 1.6 m/s
- Analysis error = 0.6 m/s
- Correlation between analysis and forecast error



Verification against analysis – Rank hist









Assumptions

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Any questions?

Perturbing Forecasts vs Deconvolution



- Adding the observation error to the forecasts is treating the observation error as an error in the forecast
- For example, one might say that the forecast is unable to represent the small-scale detail, and needs to be downscaled to the observation site – this would reduce the resolution of the ensemble forecast
- The deconvolution approach treats the observation as being in error
- Since rank histograms are not measuring resolution, the difference is unimportant
- The distinction is important for categorical verification





















