



## Hydrological validation of H–SAF precipitation products on Polish basins from different regions (lowland, upland, mountainous catchments)

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ECMWF/ H-SAF and HEPEX Workshops on coupled hydrology



# The main goals of hydrological validation



#### The main goals of HV

#### OE 5100

Product interfacing and utilization improvement

Make software for blended products

Perform the analysis of possible product utility for hydrological tasks

Development of tools to assimilate soil moisture and snow cover products to hydrological models

Development of tools (software) for data format conversion acceptable by hydrological models

Sensitivity analysis – influence of each product on final output data



#### OE 5200

Impact studies and hydrological validation

Hydrological validation of Products

Satelital data assesment and model calibration

Case studies



#### **Hydrological Validation**

#### **Hydrological validation** of operational or preoperational H-SAF products:

- PR: H03; H04; H05
- SM: H08; H14
- SN: H10; H12; H13

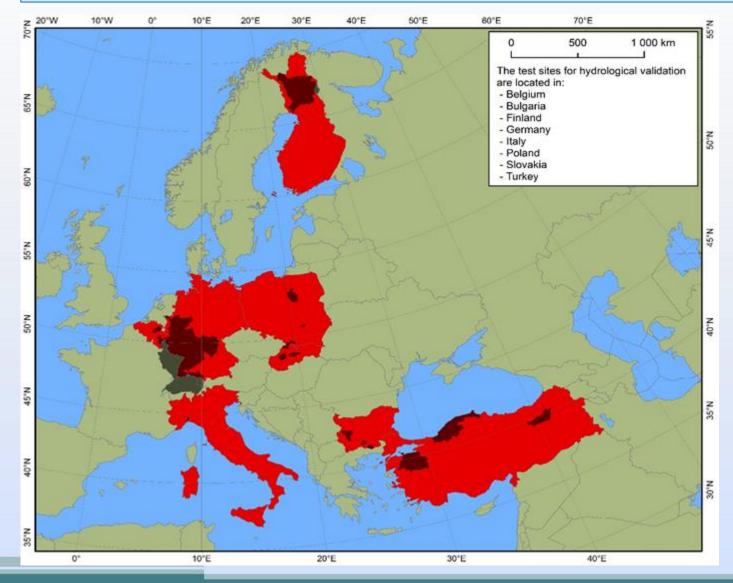
#### Results are presented in Hydrological Impact Validation Report (HVR)



#### Validation Teams, test sites, models

Country	Test site	Hydrological model				
Belgium	Demer-Scheldt					
	Ourthe-Meuse	SCHEME (SCHEldt and model)				
	Iskar River	Artificial Neural Networks (ANN)				
Bulgaria	Varbica river	Mike-11/NAM (Nedbør-Afstrømmings Model)				
	Chepelarska	and Isba-Modcou model				
Finland	Ounasjoki	Variable Infiltration Capacity (VIC) Model version 4.1.2f				
Germany	Rhine	HBV (Hydrologiska Byrans Vattenbalansavdelning model), LARSIME (Large Area Simulation Model )				
Italy	Orba	Continuum Model				
	Soła					
	Raba	HBV (Hydrologiska Byrans Vattenbalansavdelning model),				
Poland	Czarna					
	and Lagowianka	SRM				
	Wkra					
	Nitra	Hunn NAM (Hunn and Nadh an Afatu annin an Madal)				
Slovakia	Kysuca	on-NAM (Hron and Nedbør-Afstrømmings Model)				
	Hron	HBV (Hydrologiska Byrans Vattenbalansavdelning model)				
Turkey	Susurluk	HEC-HMS (The Hydrologic Engineering Center – Hydrologic				
	Western Black Sea	Modeling System)				
	Upper Euphrates	SRM (Snowmelt Runoff Model)				
	Kırkgöze	HBV (Hydrologiska Byrans Vattenbalansavdelning model)				

#### Validation Teams, test sites, models



Support to Operational Hydrology and Water Management

**HSAF** 



#### Status of validation

Country		Product							
		H03	H04	H05	H08	H14	H10	H12	H13
Belg	jium	-	-	YES	-	-	-	-	-
Bulgaria		-	-	YES	-	YES	-	-	-
Finland		-	-	-	-	-	-	-	YES
Germany		-	-	YES	~	~	~	~	~
Italy		YES	-	YES	YES	YES	-	-	-
Poland		YES	YES	YES	-	~	~	~	~
Slovakia		YES	YES	YES	YES	-	-	-	-
Turkey	ITU	-	-	YES	-	-	-	-	-
	AU	-	-	-	-	-	YES	~	YES
Hungary		-	-	-	-	-	-	-	~

-	not validated		
~	validation in future		
YES	validated		



## Validation period and products







## Precipitation products

Product		Resolu tion	Cycle
H03	Precipitation rate at ground by GEO/IR supported by LEO/MW	~ 8 km	15 min
H04	Precipitation rate at ground by LEO/MW supported by GEO/IR (with flag for phase)	~ 8 km	3 hours
H05	Accumulated precipitation at ground by blended MW and IR	~ 8 km	Each 3 hours: MW+IR integrated over the previous 3, 6, 12 and 24



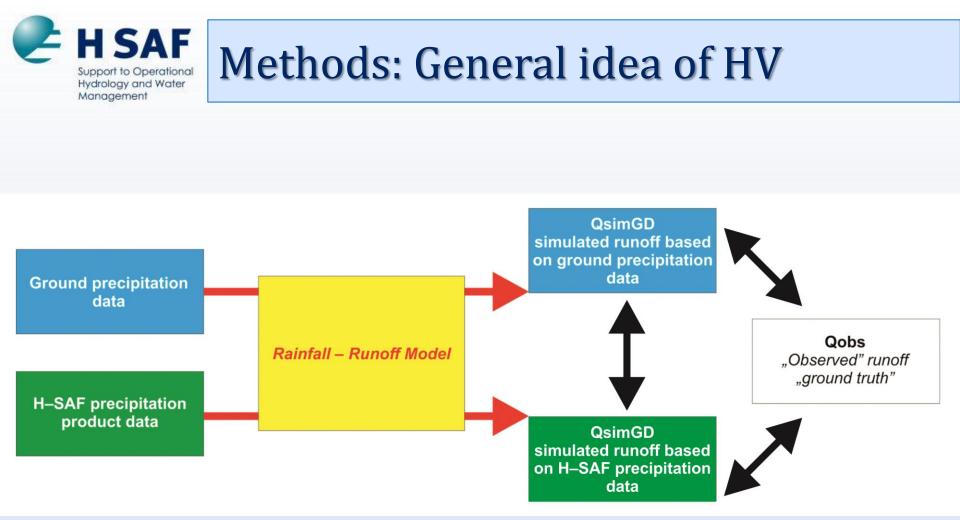
## Methods



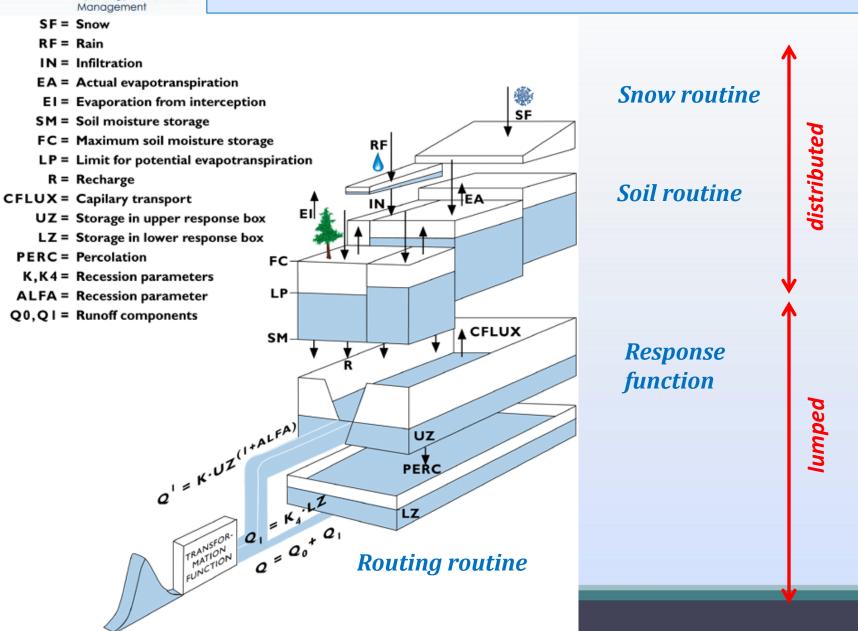
#### **Methods: General idea of HV**

#### How to define "*ground truth"*?



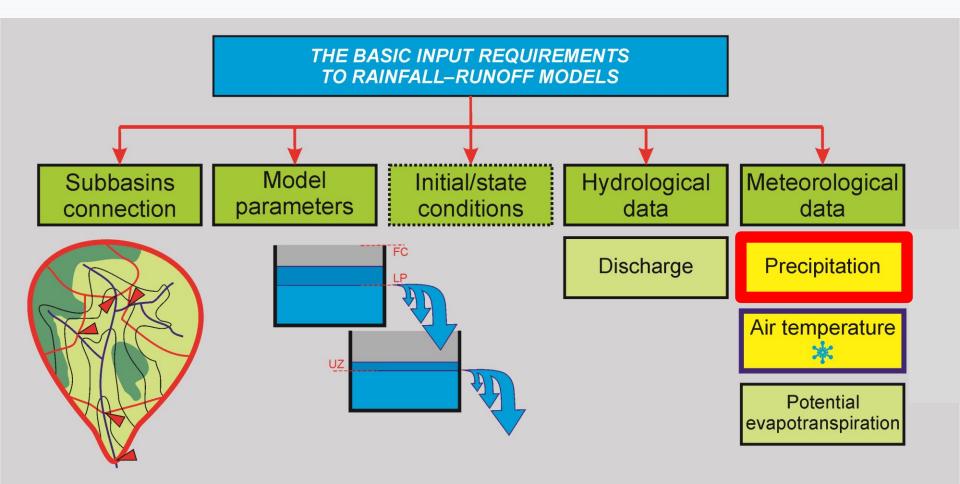
















#### **Precipitation**

- Weighted mean
- Elevation zones

#### **Temperature**

- Weighted mean
- Elevation zones

#### Data for stations The time step is ONE HOUR

#### **Potential evaporation\***

- Penman-Monteith/Thornthwaite equation
- Usually long-term monthly mean values

**Discharge observations** are used to calibrate the model, and to verify and correct the model before a runoff forecast.





#### **Calibration** of rainfall-runoff model (using historical, long time series of ground data)

#### Validation

- runoff simulation using precipitation ground data as an input
- runoff simulation using satellite precipitation product as an input



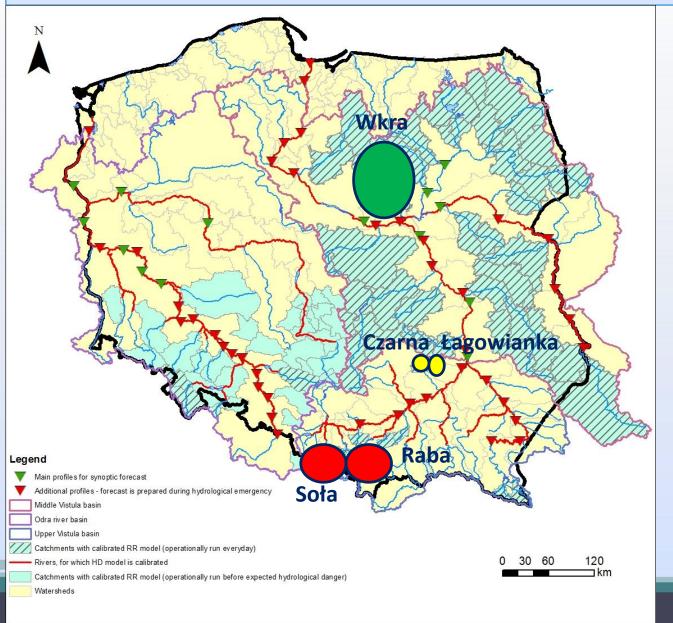


- Results for each month and for the whole period
- Comparison the obtained run-offs with the measurements
- Evaluations of the H–SAF products were performed, in terms of discharges, by the calculation of the Nash–Sutcliffe model efficiency coefficient, the correlation coefficient, the RMSE and ME and MAE.
- Results: graphs, statistics scores

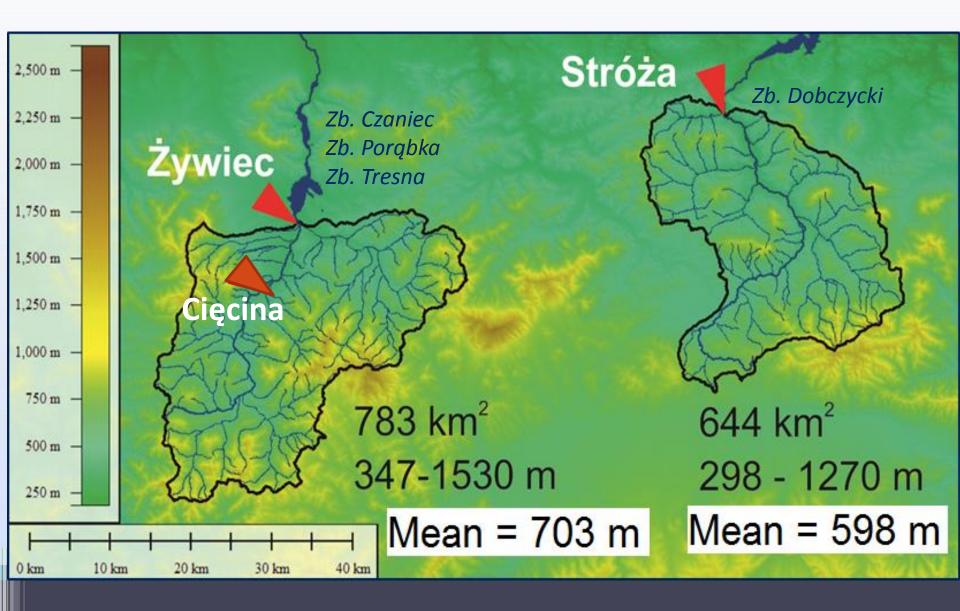




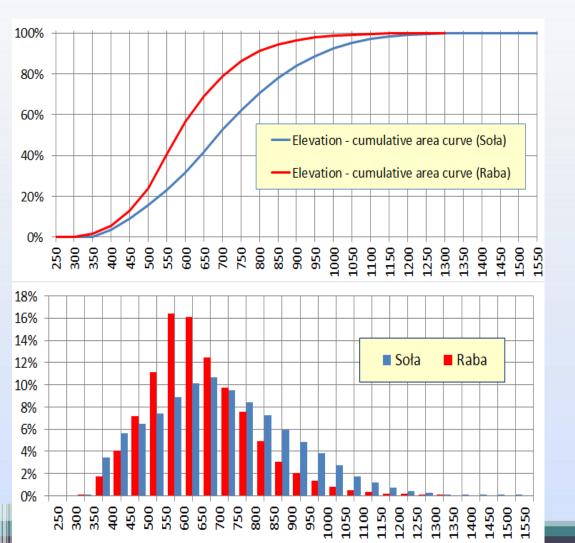


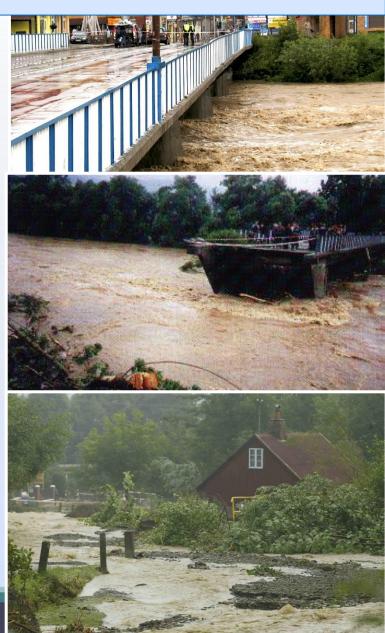






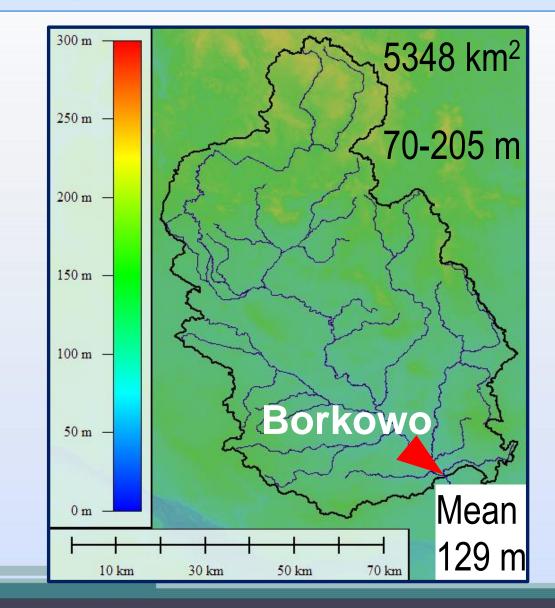
HSAF Support to Operational Hydrology and Water Management



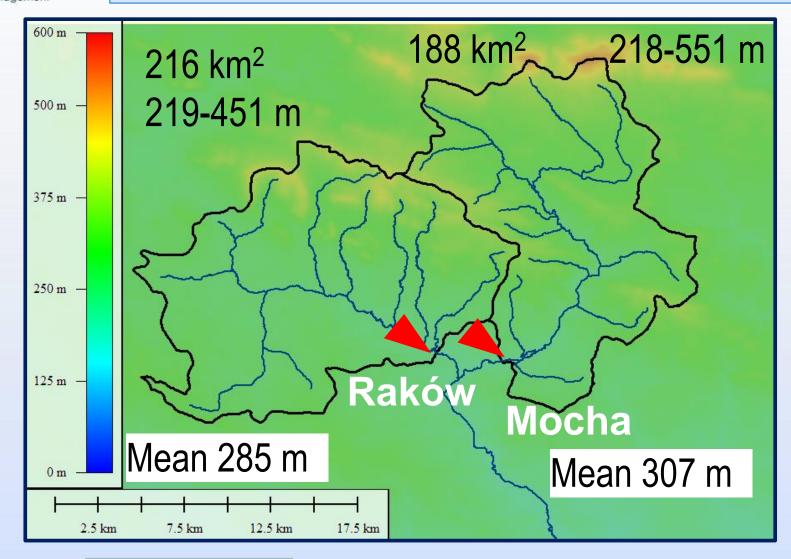


HSAF Support to Operational Hydrology and Water Management



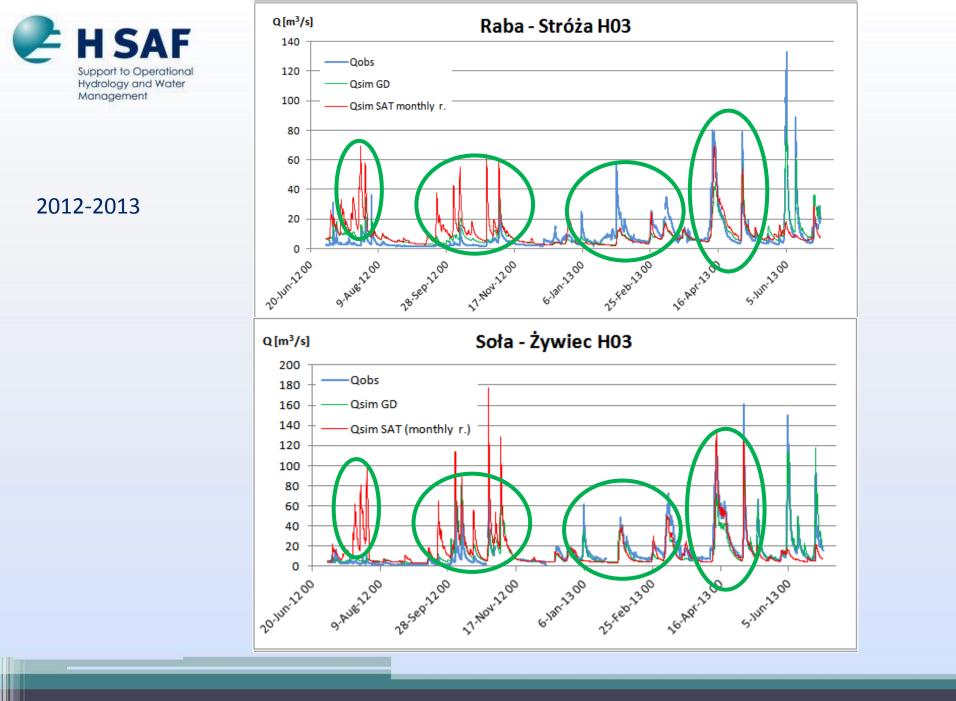


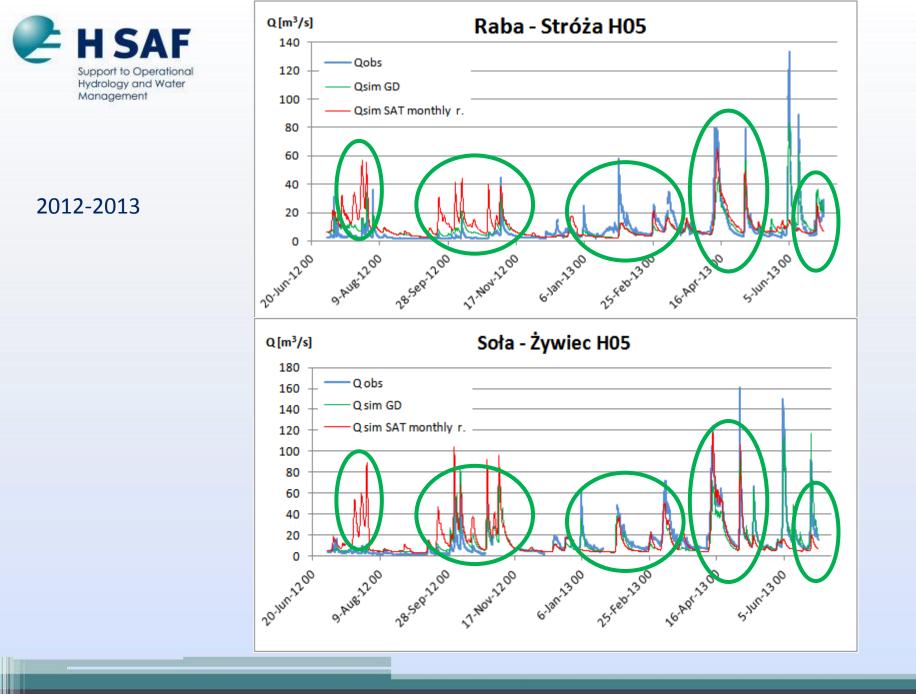


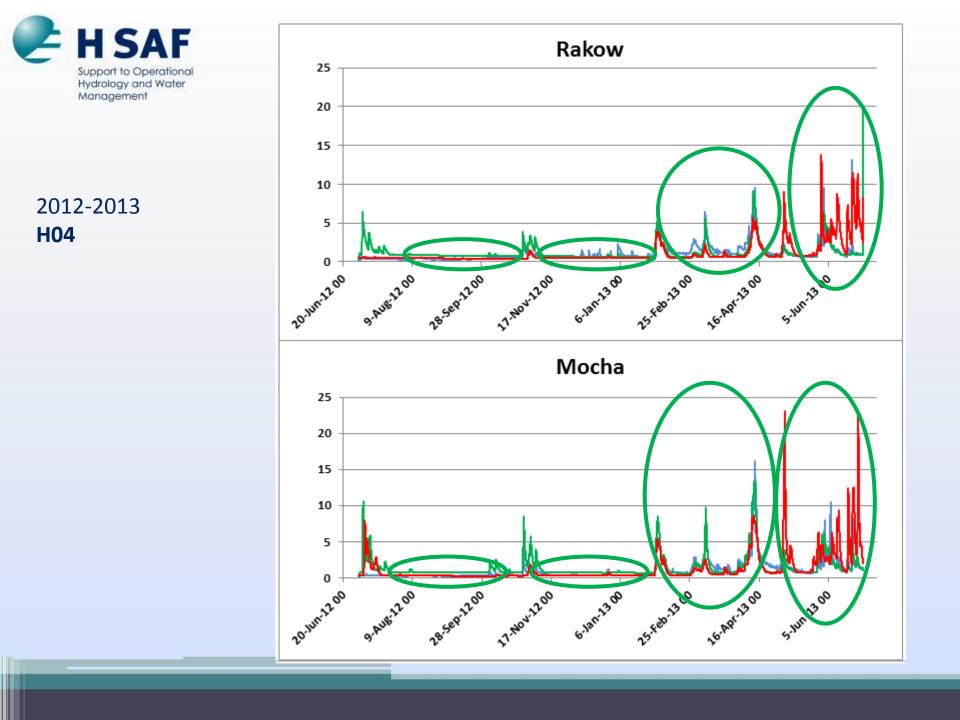




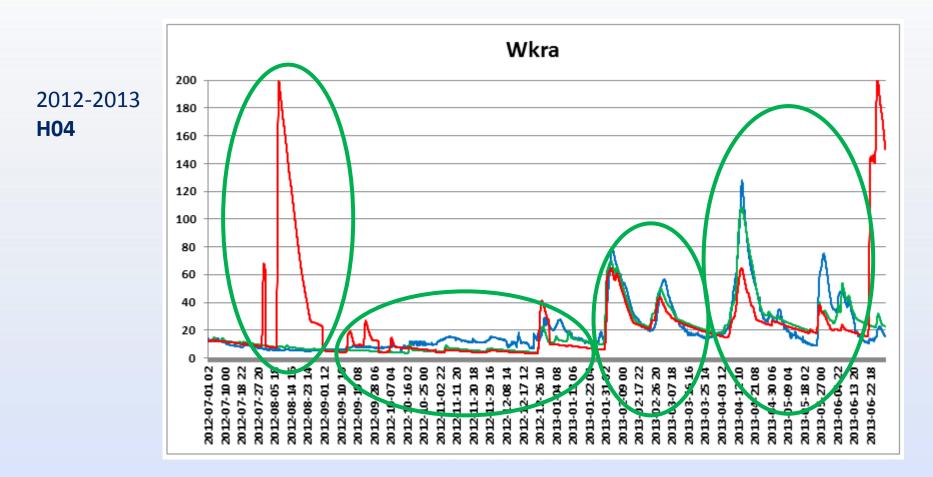
Results







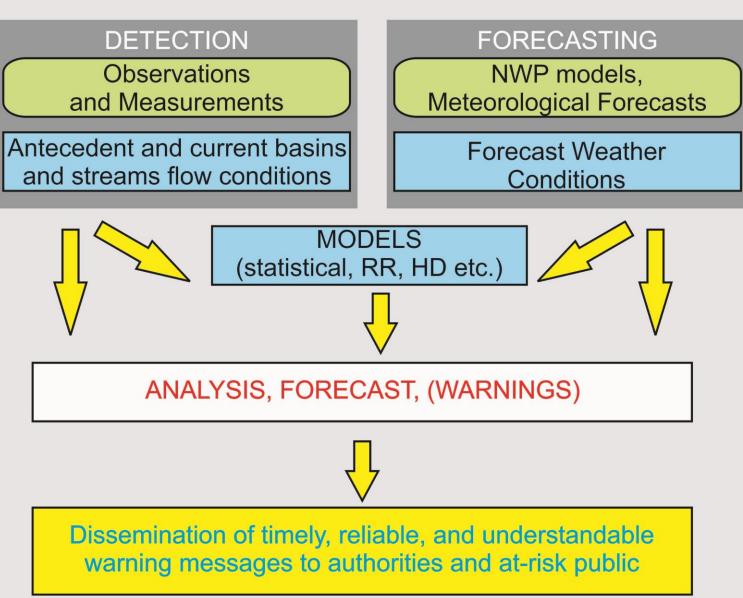






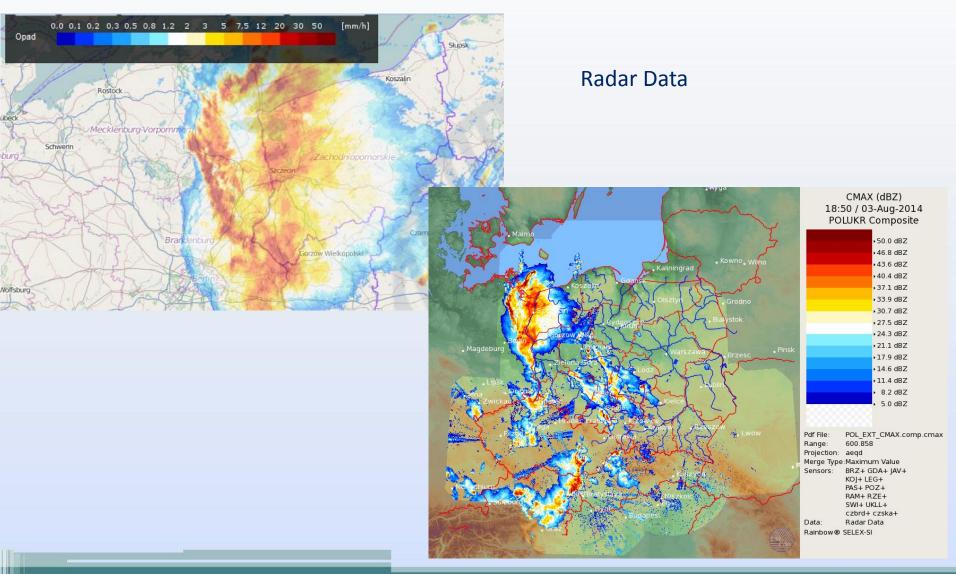
## H-SAF products in Operational Hydrology



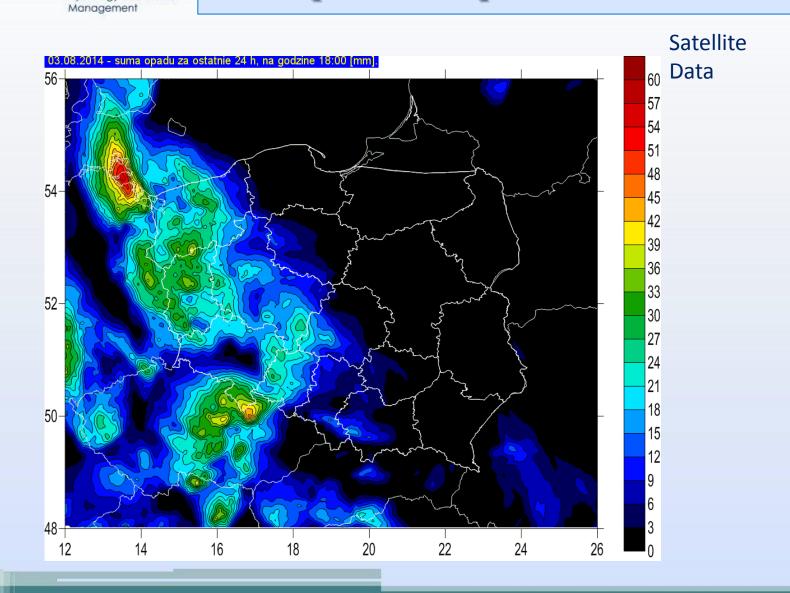


HSAF

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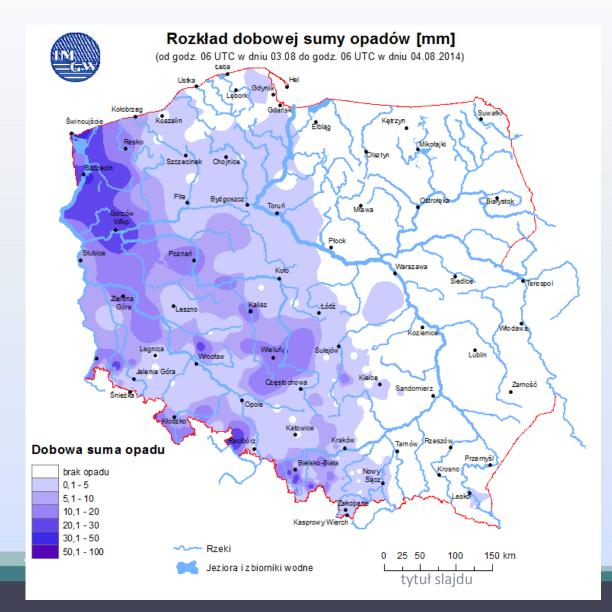


tytuł slajdu



**HSAF** 

Support to Operational Hydrology and Water



HSAF

Support to Operational Hydrology and Water Management

#### Rain gauges



## **Bias-Correction**



### **BIAS-correction**

Satellite precipitation products have systematic errors called **bias**, which need to be corrected since the biases can affect the hydrological processing in the mathematical models...

• Problem to solve:

(...) to transform precipitation derived from H-SAF, to the observed precipitation



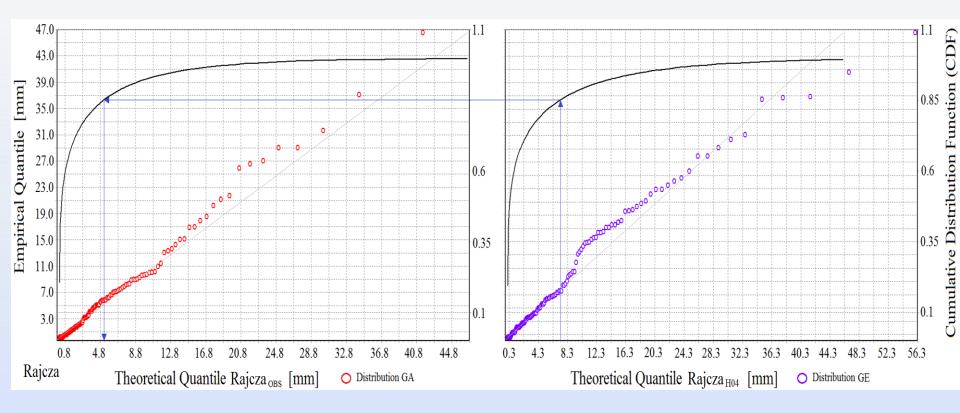
- based on simple changes (Lehner et al., 2006), DELTA method
- parametric transformation (Piani et al., 2010; Maraun et al., 2013; Rojas et al., 2011),
- nonparametric transformation (Wood et al., 2004; Boé et al., 2007; Bennet et al., 2011),
- distribution derived transformation (Sharma, 2007; Salvi et al., 2011; Kurnik et al., 2012).



(...) to find the optimum function, that maps the modeled variable  $P_{\rm MOD}$  from H-SAF precipitation Product in such way that a new distribution equals the distribution of the observed variable  $P_{\rm OBS}$ , i.e.,

 $P_{\rm OBS} = f(P_{\rm MOD})$ 







Density and quantile functions for selected probability distributions

Sets of equations obtained by MLM method for GA, GE probability distributions

	gamma distribution						
	GA	$f(x) = \frac{(x - \varepsilon)^{\lambda - 1}}{\alpha^2 \Gamma(\lambda)} \exp\left(-\frac{x - \varepsilon}{\alpha}\right) \qquad \qquad \lambda > 0 \text{ - shape,} \\ \alpha > 0 \text{ - scale,} \\ \varepsilon \ge 0 \text{ - lower} \\ \text{left-side bound} \\ \varepsilon \le X \le +\infty \end{aligned}$					
		generalized exponential distribution					
s.	GE	$f(x) = \alpha \lambda \exp(-(x-\varepsilon)\lambda)[1-\exp(-(x-\varepsilon)\lambda)]^{\alpha-1}$ $x_p = \varepsilon - \frac{1}{\lambda} \ln \left[1-(1-p)^{\frac{1}{\alpha}}\right]$ $\alpha > 0 - \text{ shape}$ $\lambda > 0 - \text{ scale}$ $\varepsilon \ge 0 - \text{ lower}$ $\text{left-side bound}$ $\varepsilon \le X \le +\infty$					
	GA	Initial values: $\alpha = 1,0, \ \lambda = \left(3,0-c + \left[(c-3)^2 + 24c\right]^{\frac{1}{2}}\right)/12c,$ where: $\alpha = \sum_{i=1}^{N} (x_i - \varepsilon), \ b = \sum_{i=1}^{N} \ln(x_i - \varepsilon), \ c = \ln \frac{\alpha}{N} - \frac{b}{N}$ $\begin{cases} \ln \lambda - \psi(\lambda) = \ln\left(\frac{1}{N}\sum_{i=1}^{N} (x_i - \varepsilon)\right) - \frac{1}{N}\sum_{i=1}^{N} \ln(x_i - \varepsilon) \\ \alpha = \frac{1}{\lambda N}\sum_{i=1}^{N} (x_i - \varepsilon) \end{cases}$					
	GE	$\frac{1}{N} = \left[\frac{1}{N}\sum_{i=1}^{N} (x_i - \varepsilon - \overline{x})^2\right]^{-\frac{1}{2}}$ $\frac{N}{\lambda} = \left[\frac{1}{N}\sum_{i=1}^{N} (x_i - \varepsilon - \overline{x})^2\right]^{-\frac{1}{2}} + 1 \right] * \left[\sum_{i=1}^{N} \frac{(x_i - \varepsilon)\exp(-\lambda(x_i - \varepsilon))}{1 - \exp(-\lambda(x_i - \varepsilon))}\right] - \sum_{i=1}^{N} (x_i - \varepsilon) = 0$ $\alpha = -\frac{N}{\sum_{i=1}^{N} \ln[1 - \exp(-\lambda(x_i - \varepsilon))]}$					



# Goodness-of-fit tests for probability distributions of random variables $P_{\text{OBS}}$ , $P_{\text{H03}}$ , $P_{\text{H04}}$ and $P_{\text{H05}}$

Kołmogorow- Smirnow (K-S)	$\begin{split} D_N &= \max_{1 \leq i \leq N} (\hat{\delta}_i), \text{ where: } \hat{\delta}_i = \max \left[ \frac{i}{N} - F_0 (x_i; \hat{\theta}), F_0 (x_i; \hat{\theta}) - \frac{i-1}{N} \right], \\ N - \text{ size of random sample,} \\ F_0 (x_i; \hat{\theta}) \text{ theoretical cumulative distribution,} \\ \hat{\theta} \text{ - vector of parameters.} \end{split}$
Anderson-Darling (A-D)	$A_{N}^{2} = -N - \frac{1}{N} \sum_{i=1}^{N} \left\{ (2i-1) \ln F_{0}(x_{i};\hat{\theta}) + (2N+1-2i) \ln \left(1 - F_{0}(x_{N+1-i};\hat{\theta})\right) \right\}$
Liao-Shimokawy (L-S)	$L_N = \frac{1}{\sqrt{N}} \sum_{i=1}^N \frac{\max\left[\frac{i}{N} - F_0\left(x_i;\hat{\theta}\right), F_0\left(x_i;\hat{\theta}\right) - \frac{i-1}{N}\right]}{\sqrt{F_0\left(x_i;\hat{\theta}\right)} \left[1 - F_0\left(x_i;\hat{\theta}\right)\right]}$
Kuiper (K)	$V_{N} = \max_{1 \le i \le N} \left( \hat{\delta}_{i}^{+} \right) + \max_{1 \le i \le N} \left( \hat{\delta}_{i}^{-} \right), \text{ gdzie: } \hat{\delta}_{i}^{+} = \max\left[ \frac{i}{N} - F_{0}\left(x_{i};\hat{\theta}\right) \right],$ $\hat{\delta}_{i}^{-} = \max\left[ F_{0}\left(x_{i};\hat{\theta}\right) - \frac{i-1}{N} \right]$



#### • Statistical charactristics

Character	intin	Zywiec	Zywiec
Characteristic		OBS	MOD
	H03	3.277	3.936
Skewness	H04		4.371
	H05		3.608
	H03		21.390
Kurtosis	H04	12.529	26.283
	H05		17.036
Standard	H03		6.375
Deviation	H04	3.513	5.928
[mm]	H05		6.174
Varianaa	H03	12.343	40.637
Variance	H04		35.147
[(mm) <sup>2</sup> ]	H05		38.116
Arithme-	H03	1.693	2.918
tic	H04		2.641
Mean	H05		2.919
Median	H03	0.200	0.300
[mm]	H04		0.100
լոույ	H05		0.100



Results of goodness-of-fit tests for  $P_{H03}$  H-SAF rate at ground and  $P_{OBS}$  for **Sola** sub-catchments (bolds refers to the best fitted theoretical probability distribution for Akaike Information Criterion (AIC) and underlying refers to the best fitted for Anderson-Darling (A-D) test. The symbol  $\checkmark$  means, that the best fitted distribution was selected by Quantile theoretical-Quantile empirical (*Q-Q*) and probability plots analysis. H03

Sub-catchment	Method of lower limit estimation	Distribution	L&S	K	K-S	A-D	AIC	Selected
Zywiec		GA	3.5530	0.4863	0.3039	25.8521	316.0350	
OBS		GE	3.5508	0.4605	0.3028	<u>25.7393</u>	316.2770	~
Zywiec	AIC	GA	2.9672	0.4341	0.2715	19.9196	97.2590	~
MOD	AIC	GE	2.9972	0.4541	0.2702	19.8280	97.5187	
H04								
Zywiec	AD	GA	3.5530	0.4962	0.3039	25.8521	316.0350	
OBS	A-D	GE	3.5508	0.4863	0.3028	<u>25.7393</u>	316.2770	3.2770     ✓       2590     ✓       5187     ✓       3.0350     ✓       3.2770     ✓       4314     ✓       8855     ✓       3.0350     ✓       5.2770     ✓
Zywiec	AIC	GA	3.8366	0.5165	0.3234	29.7588	1.4314	~
MOD	- 410.	GE	3.8279	0.5105	0.3224	29.6316	1.8855	
H05								
Zywiec	4.D	GA	3.5530	0.4962	0.3039	25.8521	316.0350	
OBS	A-D	GE	3.5508	0.4863	0.3028	25.7393	316.2770	
Zywiec	AIC	GA	4.1661	0.5082	0.3167	30.3203	54.1876	
MOD		0.5082	0.3158	<u>30.1451</u>	53.8405	<ul> <li>✓</li> </ul>		



Catchment of Sola River	Transformation function	
	H03	GEA-D-GAAIC
Zywiec	H04	GEA-D-GAAIC
	H05	GEA-D-GAAIC



H- SAF	root mean square error (RMSE)	Δ	
H03	CORR_OBS MOD_OBS	-2.086	
H04	CORR_OBS MOD_OBS	-1.752	
H05	CORR_OBS MOD_OBS	-1.959	
H-	efficiency		
SAF	index	Δ	
H03	CORR_OBS MOD_OBS	+1.444	
H04	CORR_OBS MOD_OBS	+1.275	
H05	CORR_OBS MOD OBS	+1.350	

H-	maximum		
SAF	absolute	Δ	
57.11	deviation		
H03	CORR_OBS	-15.70	
поз	MOD_OBS	-15.70	
H04	CORR_OBS	-21.64	
1104	MOD_OBS	-21.04	
H05	CORR_OBS	-9.661	
1105	MOD_OBS	-2.001	
	mean		
H- SAF	absolute	Δ	
SAL	error		
H03	CORR_OBS	-0.878	
п05	MOD_OBS	-0.878	
H04	CORR_OBS	-0.557	
1104	MOD_OBS	-0.557	
H05	CORR_OBS	-0.851	
1105	MOD_OBS	-0.051	
H-	mean		
SAF	squared	Δ	
SAL	error		
TTOO	CORR_OBS	17.770	
H03	MOD_OBS	-17.778	
H04	CORR_OBS	-15.695	
1104	MOD_OBS	-15.035	
H05	CORR_OBS	-16.620	
1105	MOD OBS	-10.020	



# Summary



## Status of validation: Results

- The usage of precipitation products sometimes can improve the performance of the models...
- Some peaks are well simulated (some events were partly successfully simulated)...
- Precipitation products can be useful if there is no other information on precipitation amounts...
- Some "operations" can make precipitation products more useful in hydrological modeling ("updating")
- To make precipitation products more useful for hydrological purposes it is necessary to develop merge products/blended products (H-SAF products + ground data + radar data) and correction methods